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AN INVESTIGATION ON WETTING OF POROUS MATERIALS

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Indirect methods of evaluation of wetting properties of fine particles or porous materials require selection of a reference liquid, for which the contact angle is equal to zero. In our investigation, the capillary rise method and film flotation were used for: glass microglobules - water and glass microglobules – decane systems. The data for the reference liquid and the examined one are introduced into the modified Washburn equation and the contact angle is calculated.

key words: capillary rise, film flotation, porous materials, wetting, contact angle

INTRODUCTION

There are several simple and fast methods to determine contact angle on a flat surface, e.g. sessile drop (captive bubble), inclined plate, and Wilhelmy's plate methods. However, determination of the contact angle on porous materials is more challenging. Intermediate methods are required to evaluate wetting properties of porous or loose materials. The methods include: the capillary rise, "wick", compressed disc, film flotation and recently the atomic force microscopy (Xu and Masliyah, 2002). In our paper the capillary rise method was combined with the film flotation method. Such approach to finding the reference liquid is proposed for the first time.

CAPILLARY RISE METHOD

The capillary rise method is based on measurements of capillary pressure difference or velocity of liquid penetration through a porous material. Bartell et al. (1932, 1934) were first to employ this method in research. The quantity they measured was

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the value of pressure applied to the system, while the quantity determined was the pressure required to stop the liquid from penetrating further into the bed. When the velocity of penetration is equal to zero the system is in equilibrium described by the formula:

$$\Delta P = \frac{2\gamma \cdot \cos \theta}{r} \quad (1)$$

where r is the average diameter of capillaries in the porous material.

The apparatus for measuring capillary pressure is shown on Fig. 1.

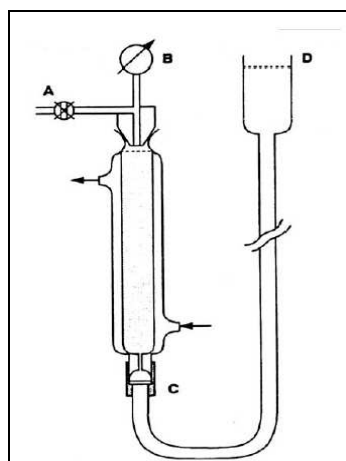


Fig. 1. Capillary pressure measuring apparatus: A - control valve, B - pressure converter, C -capillary pipe, D - liquid container (Diggins et al., 1990).

The velocity of penetration is measured in a column with a filler. The method is based on the assumption introduced by Washburn (1921) that the porous system comprises of n -cylindrical capillary pipes.

Levine et al., (1980) and Xue (2006) assumed that porous materials behave like a bundle of capillaries and a modified Lucas-Washburn (Hamraoui and Nylander, 2002; Xue et al., 2006) equation is used:

$$h^2 = \frac{(c\bar{r})\gamma_{LV} \cdot \cos \theta \cdot t}{2\eta} \quad (2)$$

where c is a constant.

After reforming previous equation we obtain:

$$r = \frac{6\eta\gamma_{LV} \cos\theta \cdot h^2}{-2\rho g\eta h^3 + 3\gamma_{LV}^2 \cos^2\theta \cdot t}. \quad (3)$$

In the last equation θ is the only unknown parameter.

The capillary rise method is based on the Washburn equation that has been derived from Poiseuille equation:

$$dV = \frac{r^4 \cdot \Delta P \cdot \pi}{8\eta \cdot h} dt. \quad (4)$$

Thus, the Washburn equation is (Washburn 1921):

$$h^2 = \frac{r \cdot \gamma \cdot \cos\theta}{2\eta} t. \quad (5)$$

Additionally, the following simplifications are employed in the capillary rise method:

- the flow is laminar and stationary
- there is no slip, i.e. no flow on the solid body - liquid interface
- no internal pressure.

It is more convenient to use the modified Washburn equation which represents the dependence of change in liquid mass on time (Siebold, 1997, Diggins, 1990)

$$m^2 = \frac{C \cdot \rho \cdot \gamma \cdot \cos\theta}{\eta} \cdot t \quad (6)$$

where constant C is:

$$C = \frac{r(\pi R_k^2)^2 \varepsilon^2}{2} \quad (7)$$

and where:

| | |
|---|--|
| h – height of penetration | ε – bed porosity |
| r – average capillary pipe diameter | ρ – penetrating liquid density |
| γ – penetrating liquid surface tension | t – time of penetration |
| η – penetrating liquid viscosity | m – penetrating liquid mass increase |
| θ – contact angle | R_k – glass tube inner diameter. |

One way to determinate contact angle are investigations involving two liquids – the reference and examined (Studebaker, 1955) ones. For the reference liquid:

$$h^2 = \frac{r\gamma_0}{2\eta_0} t_0. \quad (8)$$

For identical beds r is constant, therefore, for the liquid being examined we have:



$$h^2 = \frac{r\gamma_1 \cos \theta}{2\eta_1} t_1. \quad (9)$$

Dividing equations (8) and (9) we obtain

$$\cos \theta = K \frac{t_0}{t_1} \quad (10)$$

where

$$K = \frac{\gamma_0 \cdot \eta_1}{\gamma_1 \cdot \eta_0} \quad (11)$$

and where

$t_0, \gamma_0, \eta_0 \rightarrow$ time of penetration, surface tension and viscosity of reference liquid
 $t_1, \gamma_1, \eta_1 \rightarrow$ time of penetration, surface tension and viscosity of liquid investigated.

Another way to determine contact angle is to calculate the mean capillary radius (assuming that the glass microglobules behave like a bundle of capillaries) using Eq. (3) and then calculating the contact angle using the Washburn equation (Eq. 15).

FILM FLOTATION METHOD

The method of film flotation is used to determine the contact angle of fine particles. The behavior of a small particle in contact with surface of a liquid depends mainly on surface tension of the given liquid. The following states of the particle are distinguished: State I occurs when the particle is dropped toward the surface of the liquid but is still in the gas phase. State II occurs when the particle contacts the surface of the liquid. Next, depending on the contact angle of the substance either State III (the formation of a three-phase wetting line) or State IV (the particle stays just below the surface of the liquid - it is fully immersed) is obtained or the particle sinks (Fig. 2) (Bartell and Walton, 1932; Churaev, 2005; Feurstenau et al., 1991).

The total sum of energy (transition from State I to State IV) is the sum of kinetic, potential and interfacial energies:

$$\Delta G_r = \Delta G_K + \Delta G_P + \Delta G_I \quad (12)$$

The change in interfacial energy is, in turn, the sum of changes in adhesion, spill and immersion energies:

$$\Delta G_I = \Delta G_a + \Delta G_l + \Delta G_s \quad (13)$$

$$\Delta G_a = -\gamma_{SV} + \gamma_{SL} - \gamma_{LV} \quad \text{adhesion work} \quad (14)$$

$$\Delta G_i = -\gamma_{SV} + \gamma_{SL} \quad \text{immersion work} \quad (15)$$

$$\Delta G_s = -\gamma_{SV} + \gamma_{SL} + \gamma_{LV} \quad \text{spill work} \quad (16)$$

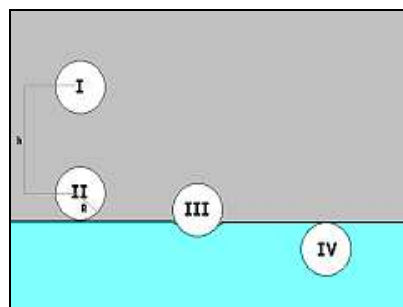


Fig. 2. Behavior of particles on a liquid surface

Employing the Young equation:

$$\gamma_{SV} - \gamma_{SL} = \gamma_{LV} \cos \theta \quad (17)$$

one obtains:

$$\Delta G_a = -\gamma_{LV} (\cos \theta + 1) \quad (18)$$

$$\Delta G_i = -\gamma_{LV} \cos \theta \quad (19)$$

$$\Delta G_s = \gamma_{LV} (\cos \theta - 1). \quad (20)$$

When $\theta < 180^\circ$ the adhesional wetting will be spontaneous, when $\theta < 90^\circ$ immersion wetting will be spontaneous and when $\theta = 0^\circ$ spill wetting will be spontaneous.

EXPERIMENTAL PART

Glass microglobules of real density 2410 kg/m^3 (apparent density 1773 kg/m^3) and diameter $150 - 250 \mu\text{m}$ (see Fig. 3) were used. The oxide composition is as follows:

| | |
|-------------------------|-----------|
| SiO_2 | 70 – 73% |
| Na_2O | 13 – 15% |
| CaO | 7 – 11% |
| Fe_2O_3 | max 0,1%. |

Before the experiment, microglobules were thoroughly cleaned and degreased, first by immersion in a mixture of solvents comprising of methanol : acetone : chloroform (1:1:1 by volume) and subsequently, washed with chloroform, methanol, acetone and water. Finally, they were dried at 130°C for a constant weight. Glass capillaries



were filled with predetermined amount of beads and placed in a shaker in order to provide uniform packing of glass spheres in the bed.

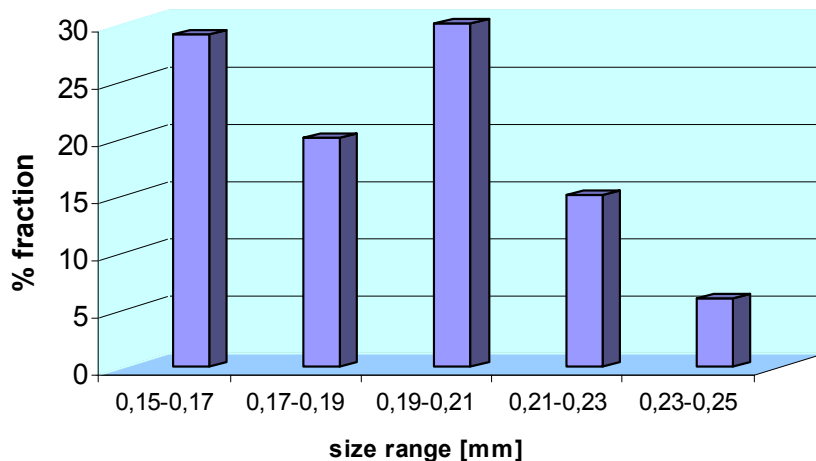


Fig. 3. Glass microglobules size distribution

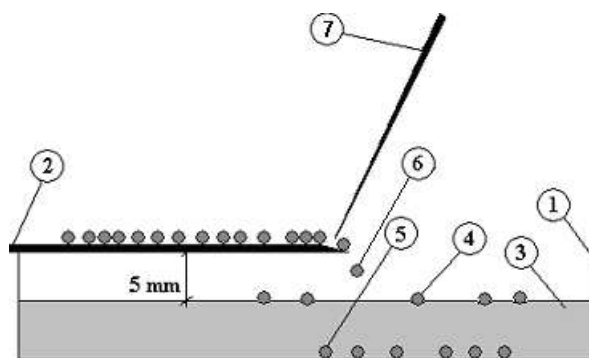


Fig. 4. Film flotation arrangement used in our investigation, 1 – glass vessel, 2 – horizontal plate, 3 – liquid being examined, 4 – floating particles, 5 – sinking particles, 6 – falling particle, 7 - needle

The reference liquid used for calculation of contact angle was determined using the film flotation method. It was assumed that the reference liquid - possessing ideal wetting ability (contact angle equal to zero) is that liquid for which 1% of microglobules remains at the surface.

The test was carried out by placing a single glass microglobule on liquid surface and the percent of floating particles out of 100 was determined. For each liquid three runs were practiced. The laboratory setup used for the experiments is shown in Fig. 4 and Fig. 5.

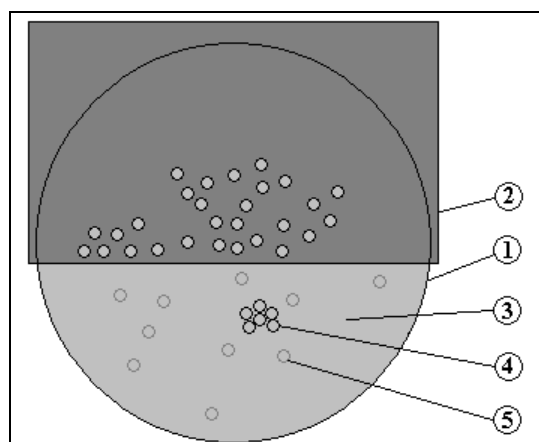


Fig. 5. Film flotation experiment arrangement - top view. 1 – glass vessel, 2 – horizontal plate, 3 – liquid being examined, 4 – floating particles, 5 – sinking particles, 6.

The experimental data for all investigated liquids are shown in Table 1. The capillary rise was determined using apparatus shown in Fig 6.

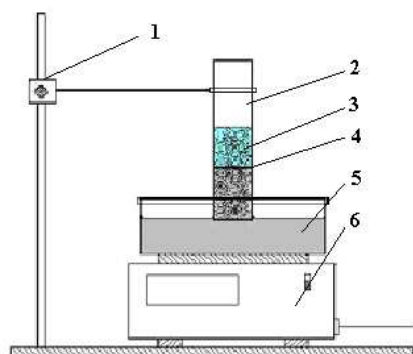


Fig. 6. Experimental setup for determining capillary rise: 1 - support, 2 - capillary, 3 – packing of glass microspheres, 4 - head of liquid, 5 - vessel with liquid, 6 – balance linked to computer (Trong and Hupka, 2005)

A computer program was used to register balance readings and the results were saved to a file. After the measurement, a plot was made for each liquid showing relation between squared mass increase v.s. time of penetration. The results obtained for the investigated and reference liquids are shown in Figs 7, 8, and 9. Based on the graphs, the time of penetration was found (39 s for methylene chloride, 49 s for water and 131 s for decane) and the contact angle for water and decane was calculated. Using Eq. (10) we obtain 44.5° for water and 41.4° for decane, and using mean radius of capillary (Eq. (3) and the Washburn equation we obtain 43.5° for water and 40.2° for decane.

Table 1. Liquids examined by film flotation method

| Liquid | Surface tension, [mJ/m ²] | Viscosity [mPa·s] | Density [kg/m ³] | % flotating microglobules |
|------------------|---------------------------------------|-------------------|------------------------------|---------------------------|
| Pentane | 16.00 | 0.25 | 630 | 0 |
| Isooctane | 18.80 | 18.80 | 690 | 0 |
| Heptane | 19.30 | 0.42 | 710 | 0 |
| Octane | 21.80 | 0.55 | 700 | 0 |
| Ethanol | 22.00 | 1.20 | 0,81 | 0 |
| Methanol | 22.10 | 0.54 | 790 | 0 |
| Acetone | 22.68 | 0.30 | 790 | 0 |
| Decane | 23.90 | 0.93 | 726 | 0 |
| n-butyl acetate | 25.10 | 0.74 | 880 | 0 |
| CCl ₄ | 26.95 | 0.90 | 1590 | 0 |
| Toluene | 27.80 | 0.55 | 870 | 0 |
| Xylene | 28.30 | 0.65 | 860 | 0 |
| Cycloheksanone | 34.00 | 2.20 | 950 | 0 |
| Nitric acid | 41.20 | 0.75 | 1526 | 0 |
| 2-propanol | 18.30 | 2.07 | 780 | 1 |
| Dichloromethane | 27.20 | 0.42 | 1320 | 1 |
| Ethylene bromide | 38.40 | | 2180 | 2 |
| Nitromethane | 36.20 | 0.61 | 1140 | 3 |
| Pyridine | 38.00 | 0.95 | 980 | 4 |
| Water | 72.30 | 1.00 | 998 | 13 |
| Sulfur acid | 55.10 | 24.54 | 1840 | 23 |
| Hydrazine | 91.50 | 0.91 | 1000 | 30 |
| o-Toluidine | 40.00 | | 990 | 40 |
| Aniline | 42.90 | 4.40 | 1020 | 45 |
| Oleic acid | 32.50 | 39.00 | 890 | 81 |
| Benzyl alcohol | 39.00 | 5.04 | 1042 | 90 |
| Hexanol | 24.08 | 4.59 | 820 | 95 |
| Ethylene glycol | 47.00 | 21.00 | 1110 | 100 |
| Glycerol | 62.50 | 945.00 | 1260 | 100 |

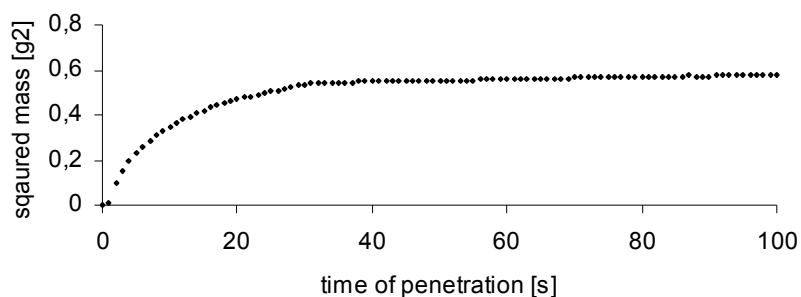


Fig. 7. The relationship between squared mass of methylene chloride (reference liquid) vs. time of penetration.

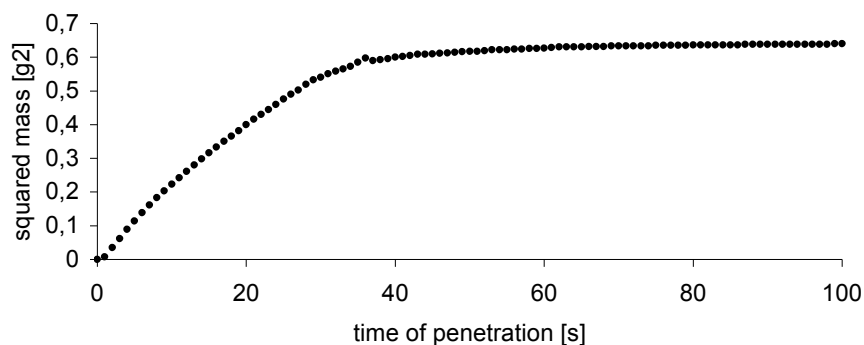


Fig. 8. The relationship between squared mass of water vs. time of penetration

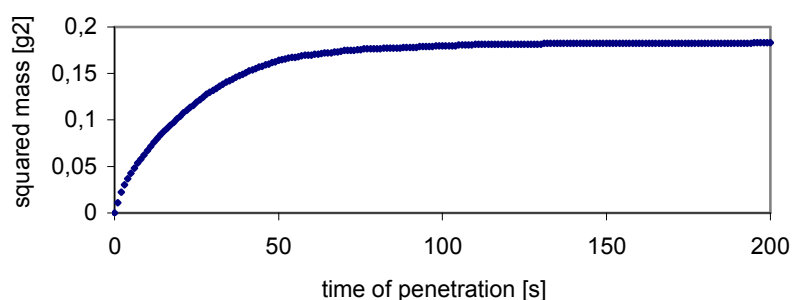


Fig. 9. The relationship between squared mass of decane vs. time of penetration

FINAL COMMENTS

The capillary rise method employed for the investigation possesses many advantages, it is convenient and fast to use, does not require expensive and complex apparatus, measurement errors are minimized while changing the working conditions (ambient temperature), the results obtained possess error resulting only from non-linear changes of substance properties. The big disadvantage, however, is the necessity to choose a reference liquid - the one ideally wetting the material examined.

If another reference liquid, chosen depending on another criterion, had been used, the result would have been different. Moreover, if another liquids were examined they could prove to better wet loose material and the final result would also be different.

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Pośrednie metody oceny zdolności zwilżania drobnych cząstek lub materiałów porowatych wymagają wyboru cieczy odniesienia, dla której kąt zwilżania jest równy zero. W badaniach własnych zastosowano metodę wzniesienia kapilarnego oraz metodę flotacji filmowej dla układów mikrokulki szklane-woda i mikrokulki szklane-dekan. Uzyskane dane dla cieczy odniesienia i dla cieczy badanej wprowadzono do zmodyfikowanego równania Washburn'a i wyznaczano wartość kąta zwilżania.

Słowa kluczowe: wzniesienie kapilarne, flotacja filmowa, materiały porowate, zwilżalność, kąt zwilżania

